

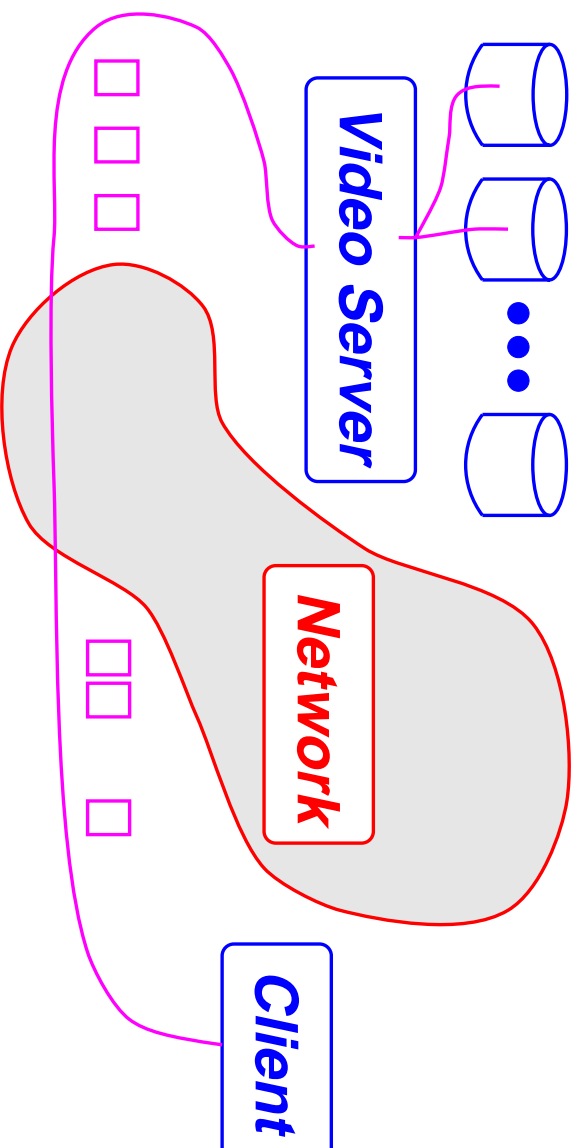
A New Class of Packet Schedulers for Quality-of-Service Networks

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Motivation

- Transmission of video and audio over packet-switched networks.



- Requires *new networks and protocols*.

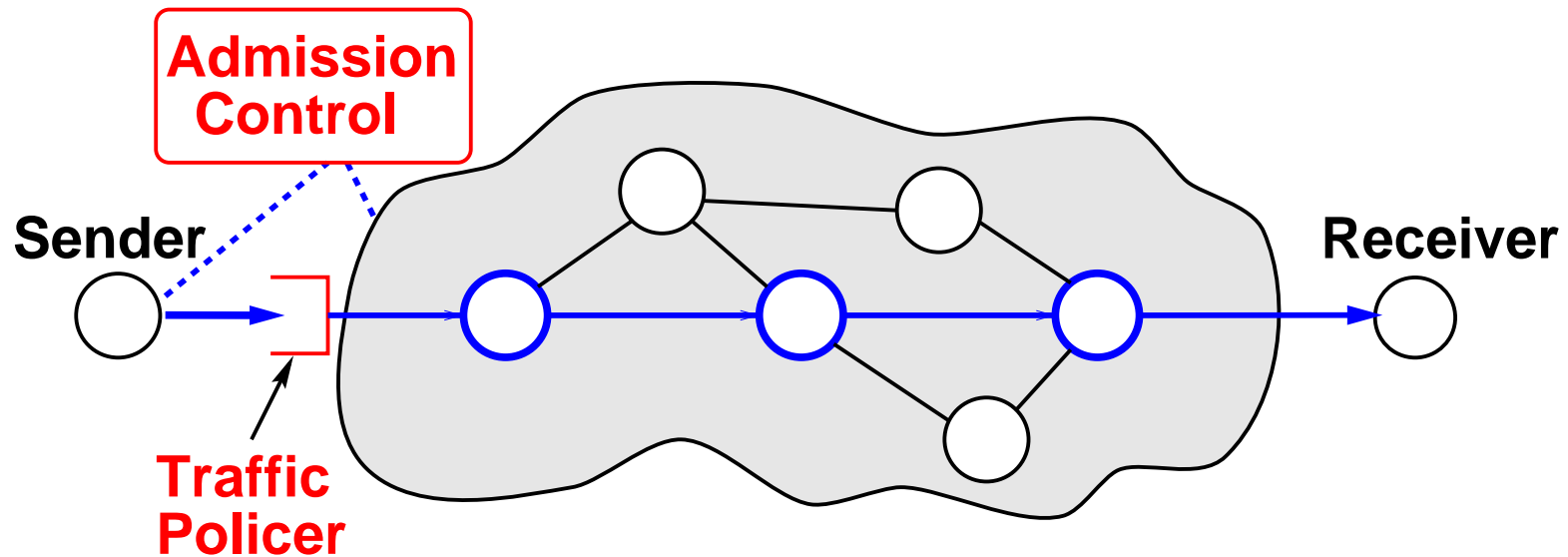
Overview

- Background
- QOS Networks
- *Rotating Priority Queues (RPQ) Scheduling*
- *Rotating Priority Queues Plus (RPQ⁺) Scheduling*
- Conclusions

Quality-of-Service

- Video and audio need *Quality-of-Service (QoS)* guarantees:
 - *delay*
 - jitter
 - throughput
 - loss rate
- A *deterministic service* gives worst-case guarantees.

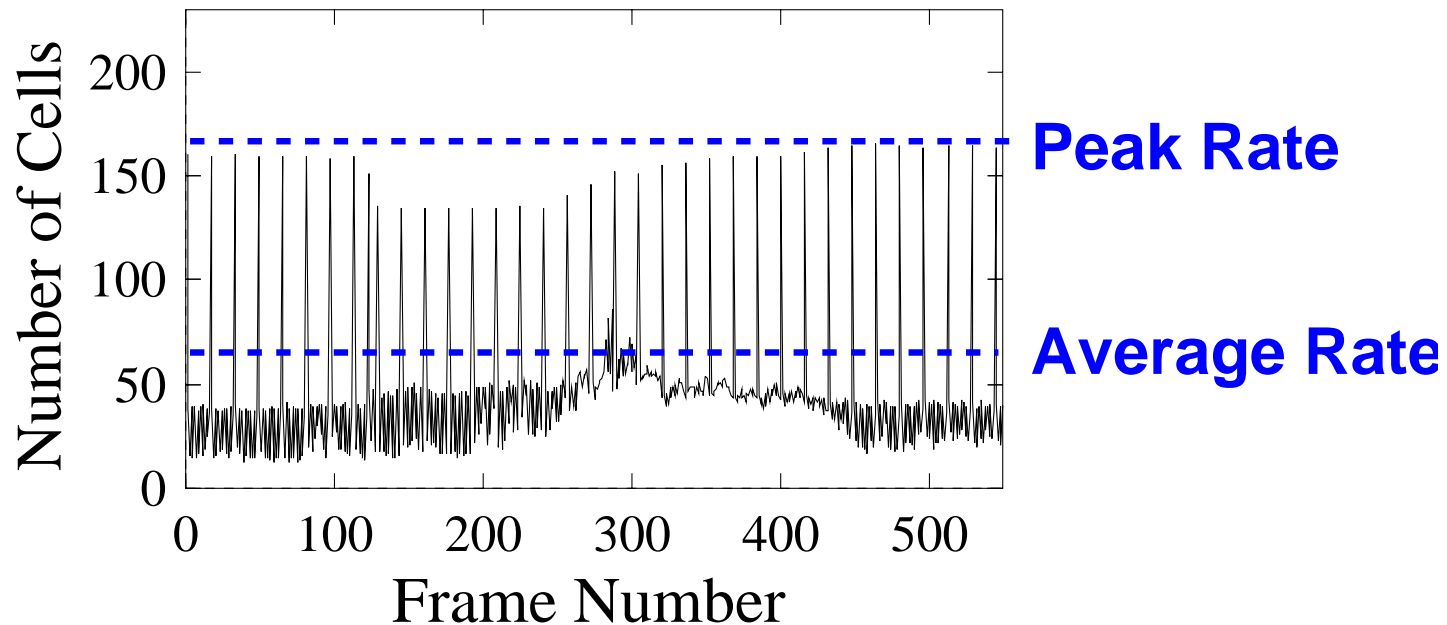
Multimedia Networks



- Multimedia connections have *QoS* and *traffic* parameters.
- Multimedia networks need *resource reservation*.

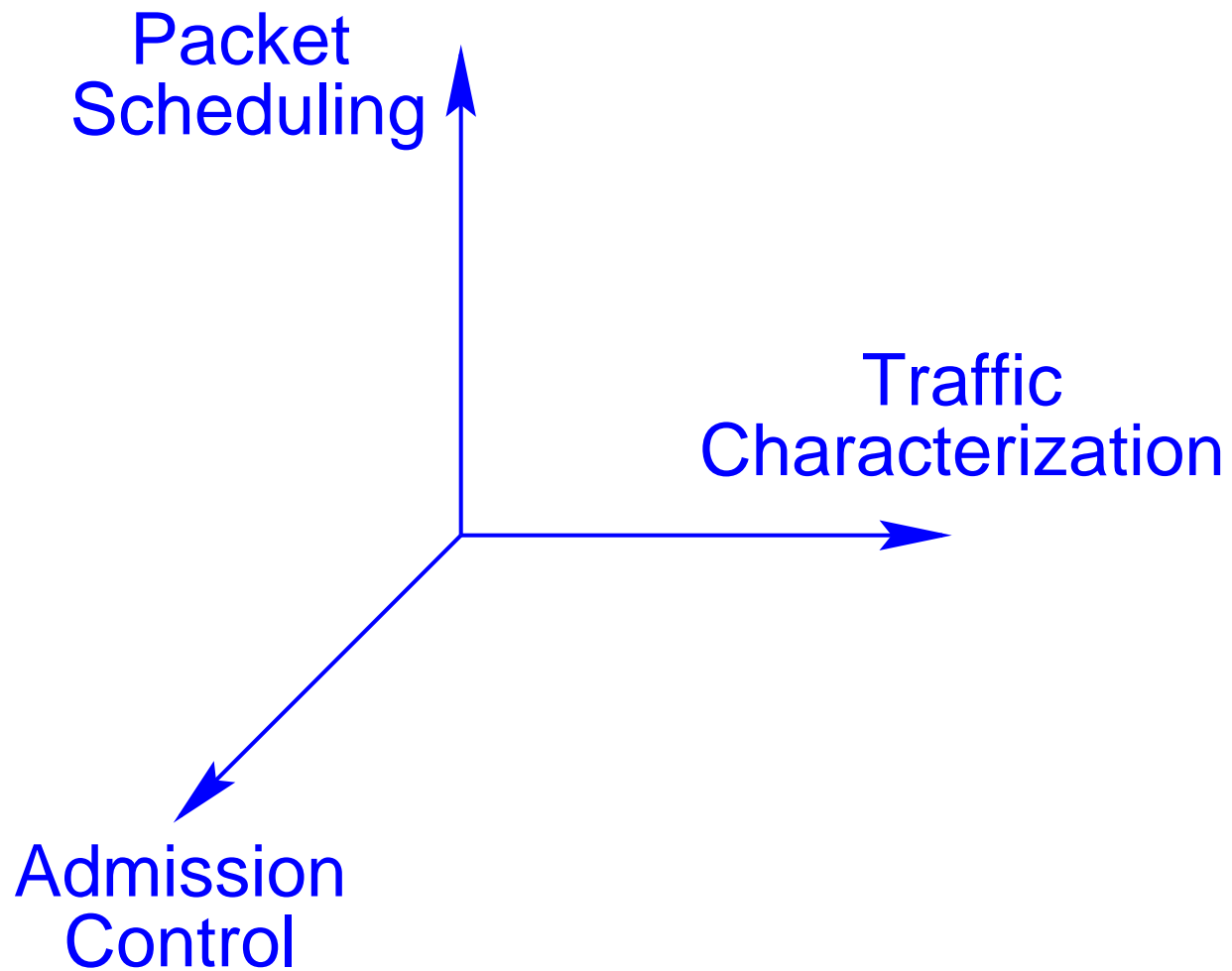
Why is Resource Reservation Difficult?

- Compressed digital video has a *variable bit rate*.

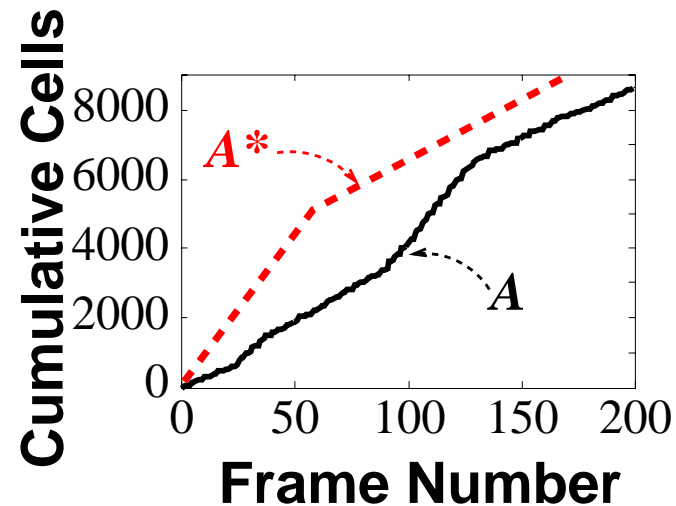
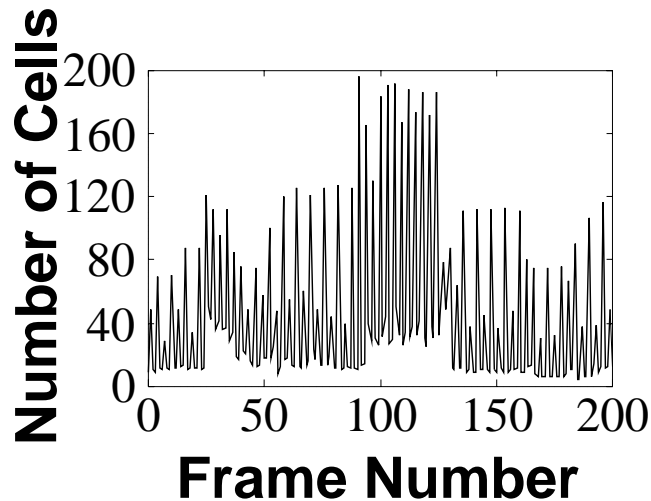


- *Problem:* How do we provide deterministic QoS without peak-rate reservation?

Design Space of a Multimedia Network

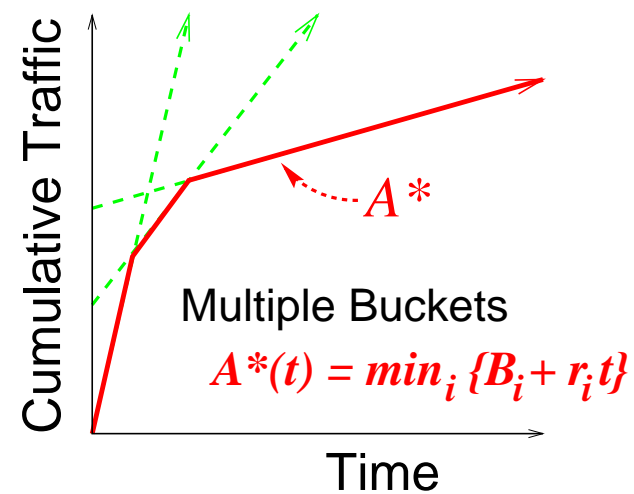
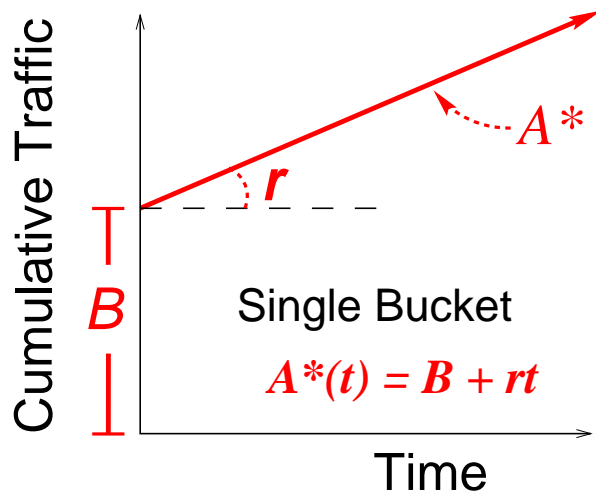
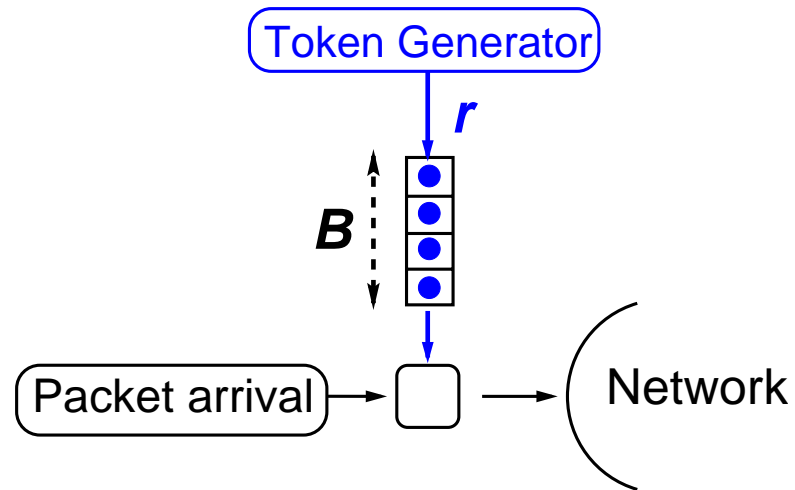


What is Traffic Characterization?



- A *traffic characterization* is a bound for the traffic over any interval.
 - *Time-invariant*: $A^*(t) \geq A[\tau, \tau + t]$, $\forall t, \tau$
 - *Subadditive*: $A^*(t_1 + t_2) \leq A^*(t_1) + A^*(t_2)$, $\forall t_1, t_2$
- Traffic characterization must map to traffic policer.

The “Leaky Bucket” Traffic Characterization

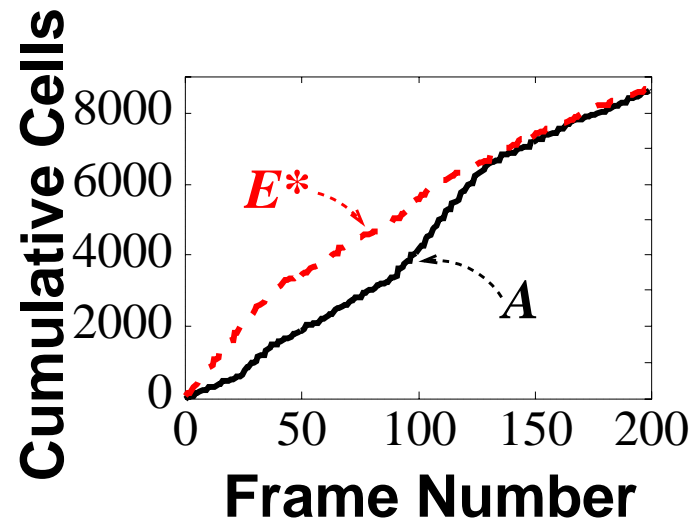


- Used in: ATM, Integrated-services Internet

Traffic Characterization Problem

- Given a video sequence, how do I select leaky bucket parameters?
- Previous approaches:
 - *Candidate Sets* (Low and Varaiya 1991).
 - Choose B according to buffer space availability (Pancha and El Zarki 1995).
 - Relative importance of buffer space and bandwidth (Guillemin et. al. 1995).
 - *Empirical envelope* (Wrege, Knightly, Zhang, and Liebeherr 1996).

Empirical Envelope



- The best possible characterization for a video source is its *empirical envelope* E^* .
- $E^*(t) := \sup_{\tau \geq 0} A[\tau, \tau + t]$, for all $t \geq 0$.
- *Difficult to police, expensive to compute.*

Design Space of a Multimedia Network

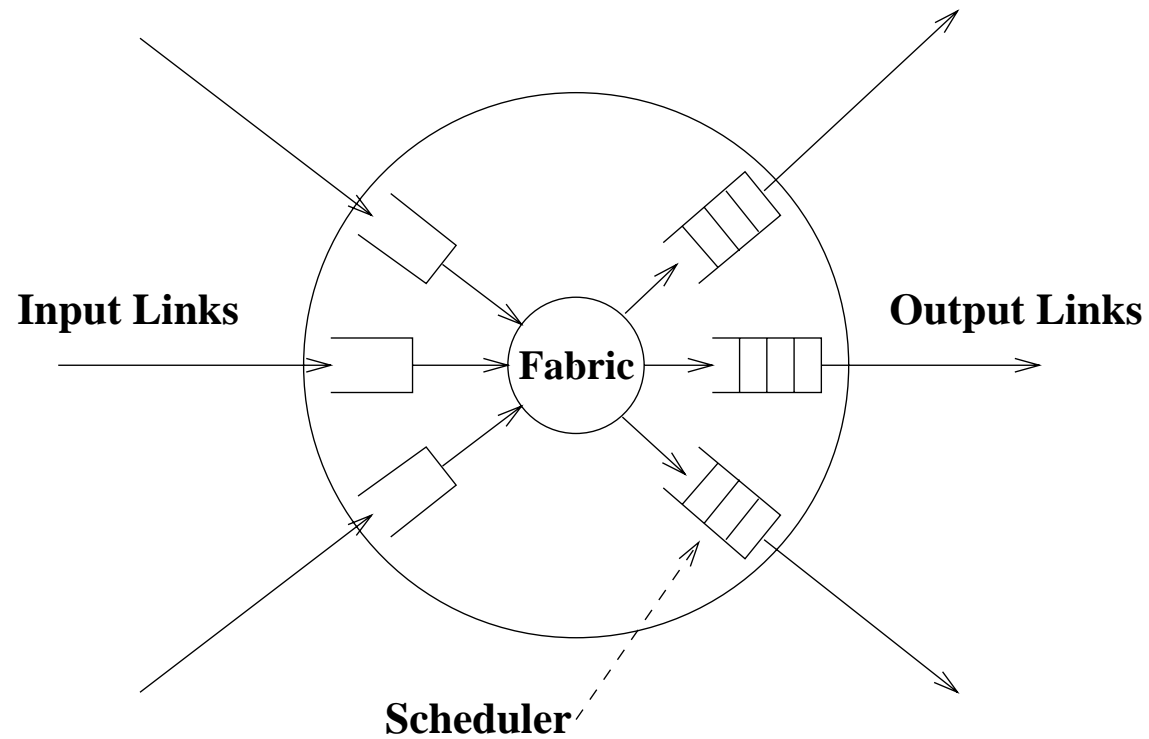
**Packet
Scheduling**



Traffic
Characterization

**Admission
Control**

Packet Scheduling



- A connection j has a *delay bound* d_j .
- *Packet scheduling discipline* determines *delay*.

Admission Control

Schedulability Condition:

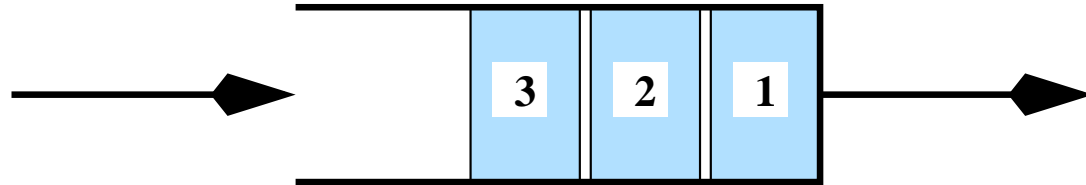
Given a packet scheduler and a set of connections. The connections are said to be **schedulable** if a violation of the delay bounds will never occur.

$$\begin{array}{c} \text{Schedulability Condition} \\ = \\ \text{Delay Bound Test for Admission} \\ \text{Control} \end{array}$$

Scheduling and Network Utilization

- *First-Come-First-Served (FCFS)*
 - Simplest, offers only one delay bound.
- *Earliest-Deadline-First (EDF)*
 - Sophisticated, optimal in terms of schedulability.
- *Static Priority (SP)*
 - Compromise, offers fixed number of delay bounds.

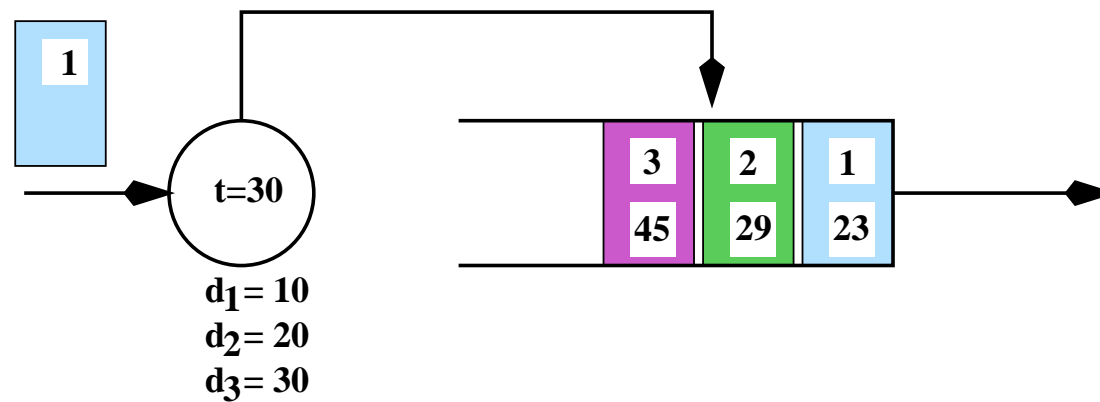
First-Come-First-Served (FCFS)



- Exact Admission Control Test:

$$d \geq \sum_{j \in \mathcal{N}} A_j^*(t) - t + \max_{k \in \mathcal{N}} s_k \quad t \geq 0$$

Earliest-Deadline-First (EDF)

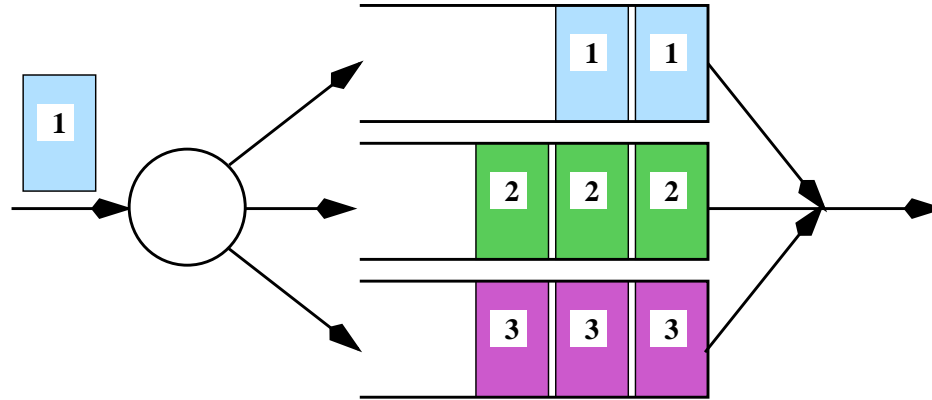


- Exact Admission Control Test (Liebeherr/Wrege/Ferrari):

$$t \geq \sum_{j \in \mathcal{N}} A_j^*(t - d_j) + \max_{k, d_k > t} s_k \quad t \geq 0$$

where $\max_{k, d_k > t} s_k \equiv 0$ for $t > \max_{k \in \mathcal{N}} d_k$

Static Priority (SP)



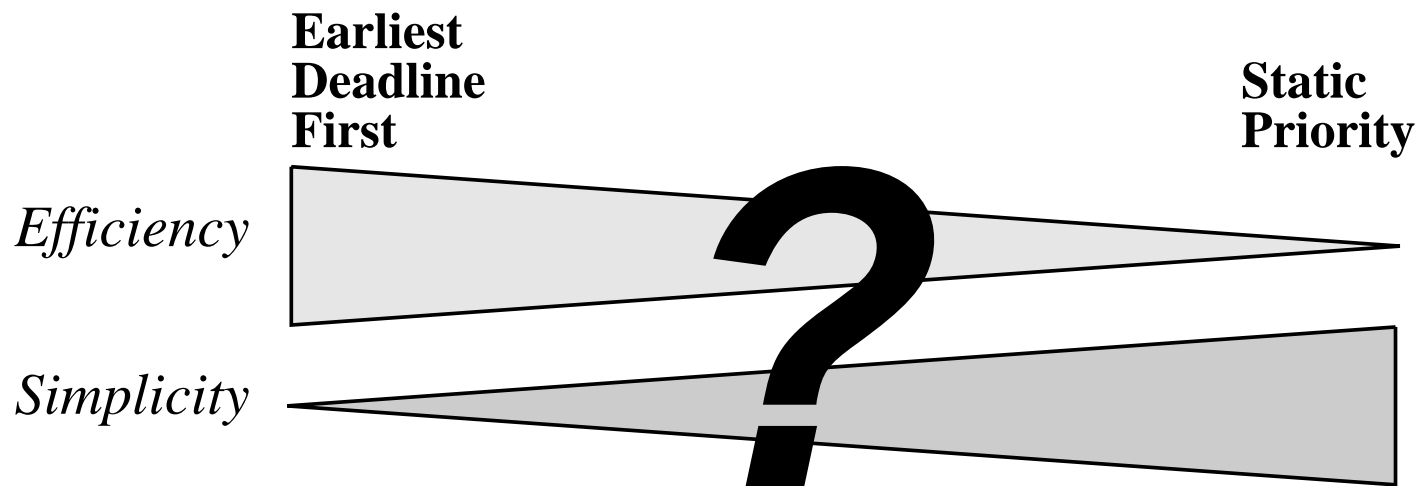
- Exact Admission Control Test (Liebeherr/Wrege/Ferrari):

$$(\exists \tau \leq d_p)$$

$$t + \tau \geq \sum_{j \in \mathcal{C}_p} A_j^*(t) + \sum_{q=1}^{p-1} \sum_{j \in \mathcal{C}_q} A_j^*(t + \tau) + \max_{r > p} s_r$$

for all $p, t \geq 0$

What is a good scheduler?



Approximate EDF with FIFO queues

Approximations that require *no sorting*:

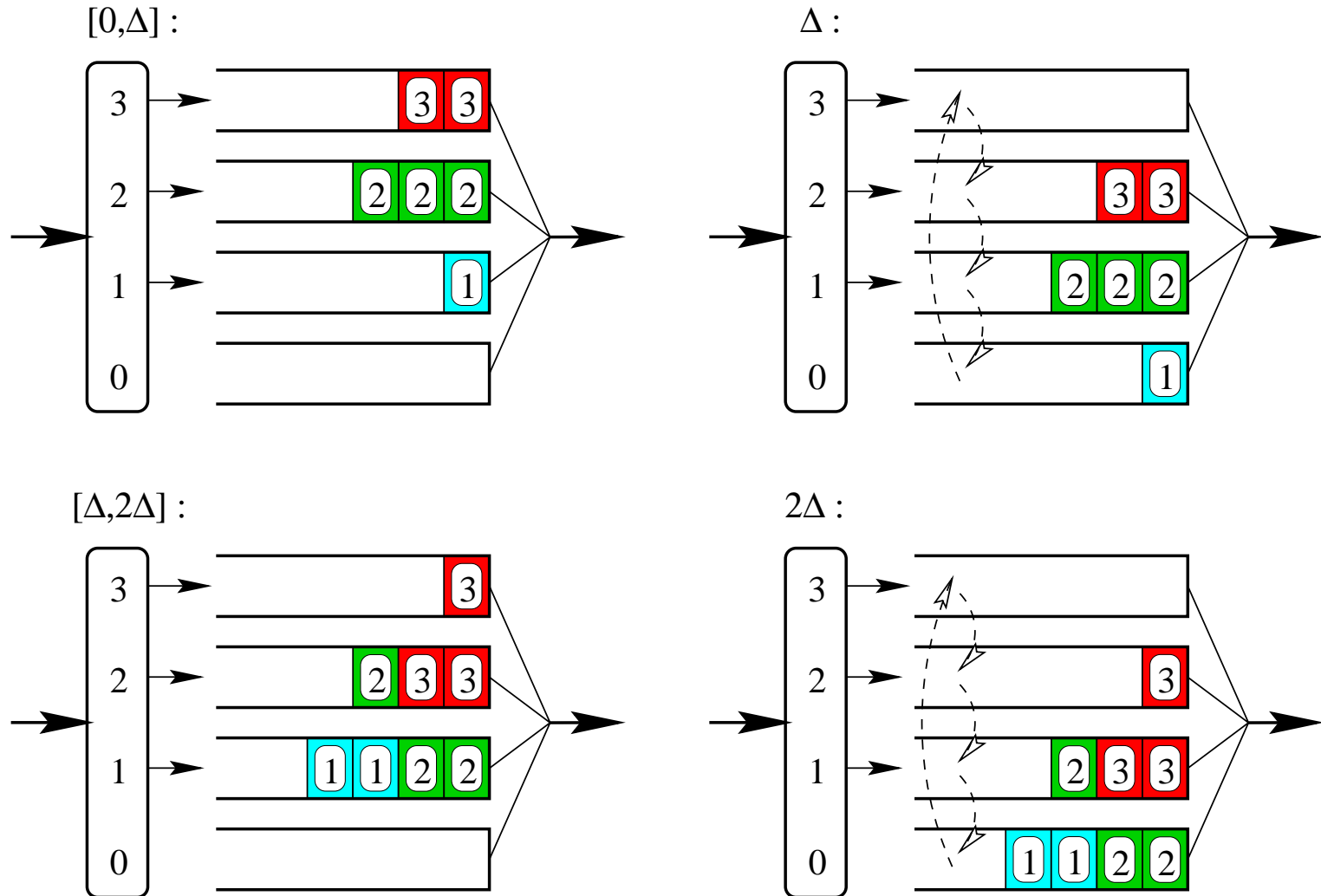
- *HOL-PJ* (Lim/Kobza 1990)
- *Relabeling Architecture* (Peha/Tobagi 1991)
- *Rotating-Priority-Queues* (RPQ) (Liebeherr/Wrege 1994)

Rotating-Priority-Queues (RPQ)

Design Principles:

- P priority sets.
- $P + 1$ FIFO queues with labels.
- Relabel queues every Δ time units.
- One delay bound for each priority set: $d_p = p \cdot \Delta$.

RPQ Scheduler



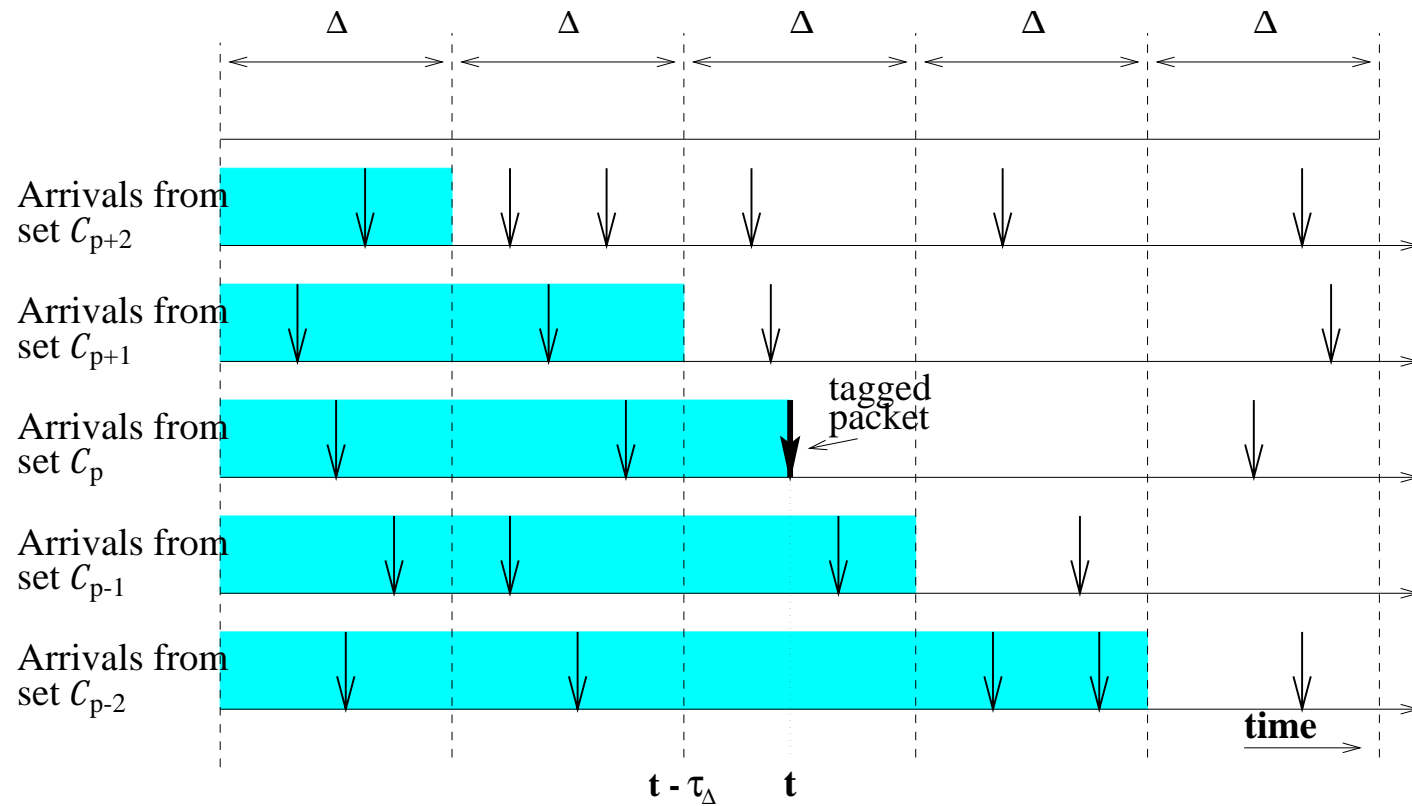
Admission Control Test for RPQ

For all priorities p and all $t \geq d_1$,

$$t \geq \sum_{j \in C_1} A_j^*(t - d_1) + \sum_{q=2}^p \sum_{j \in C_q} A_j^*(t + \Delta - d_q) + \max_{r, d_r > t + \Delta} S_r^{max}$$

RPQ

- Transmissions *before* a tagged packet.

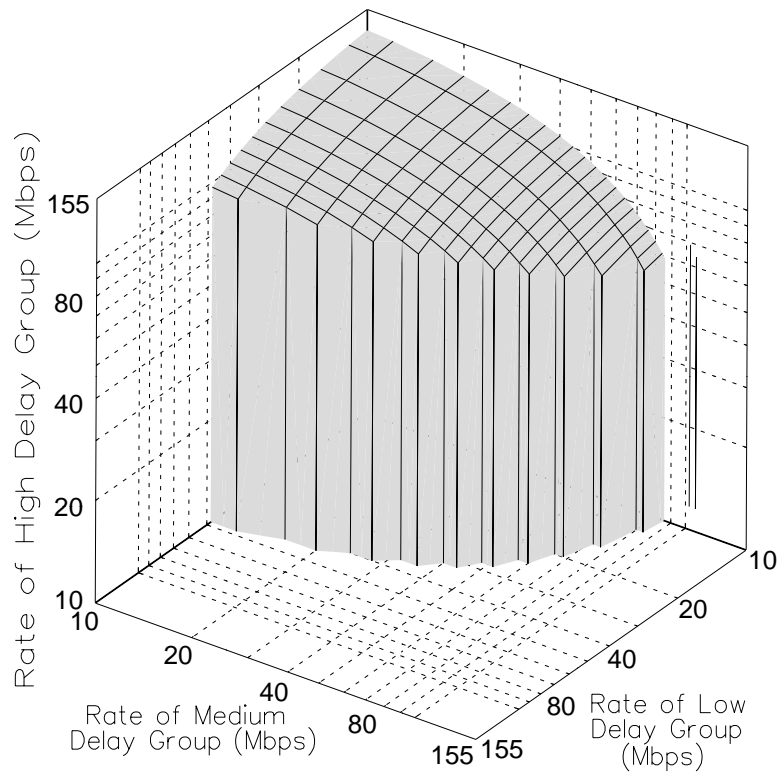


Experimental Setup

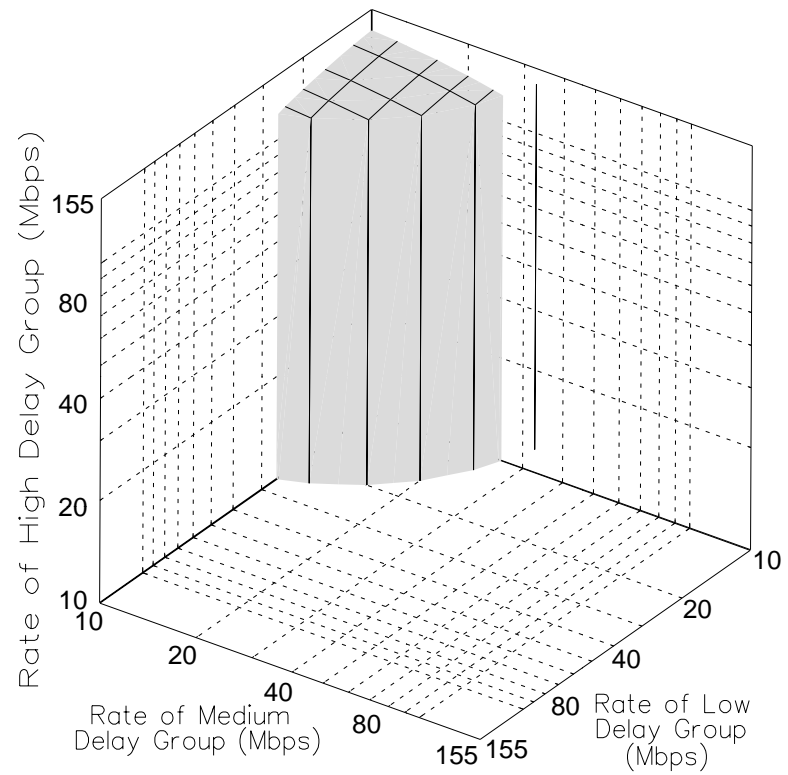
- Single 155 Mbps switch.
- Three connection groups *Low*, *Medium*, *High Delay*.

	Index	Delay Bound	Burst Size	Rate
	j	d_j	B_j	r_j
<i>Low</i>	1	12 ms	4,000 cells	10-155 Mbps
<i>Medium</i>	2	24 ms	2,000 cells	10-155 Mbps
<i>High</i>	3	36 ms	4,000 cells	10-155 Mbps

Evaluation



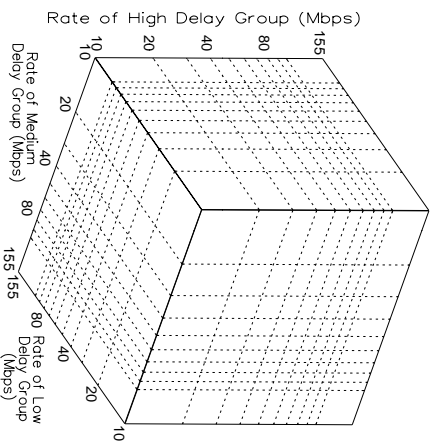
EDF



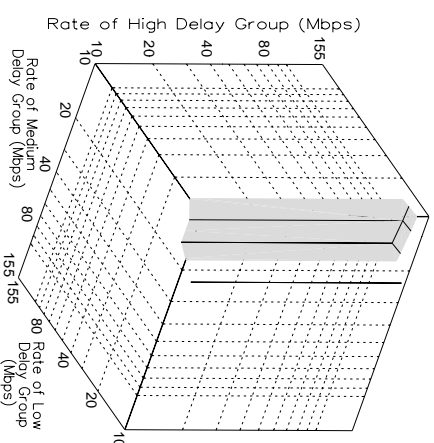
SP

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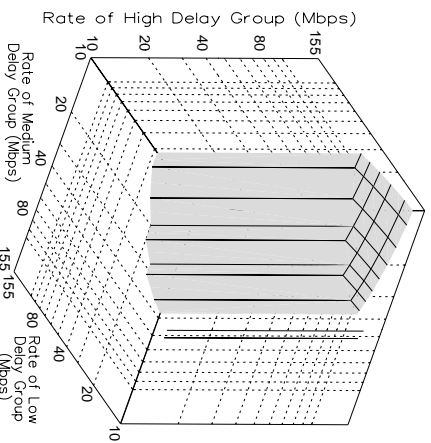
Evaluation of RPQ



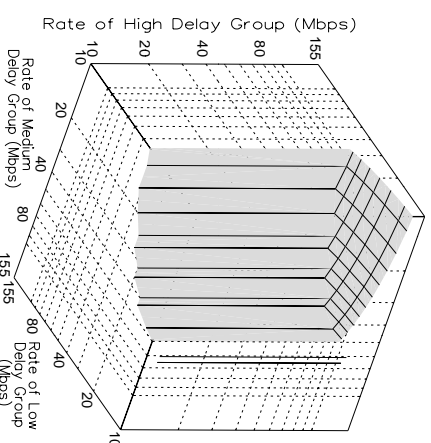
RPQ ($\Delta = 12ms$; 6 FIFOs)



RPQ ($\Delta = 6ms$; 12 FIFOs)



RPQ ($\Delta = 4ms$; 18 FIFOs)



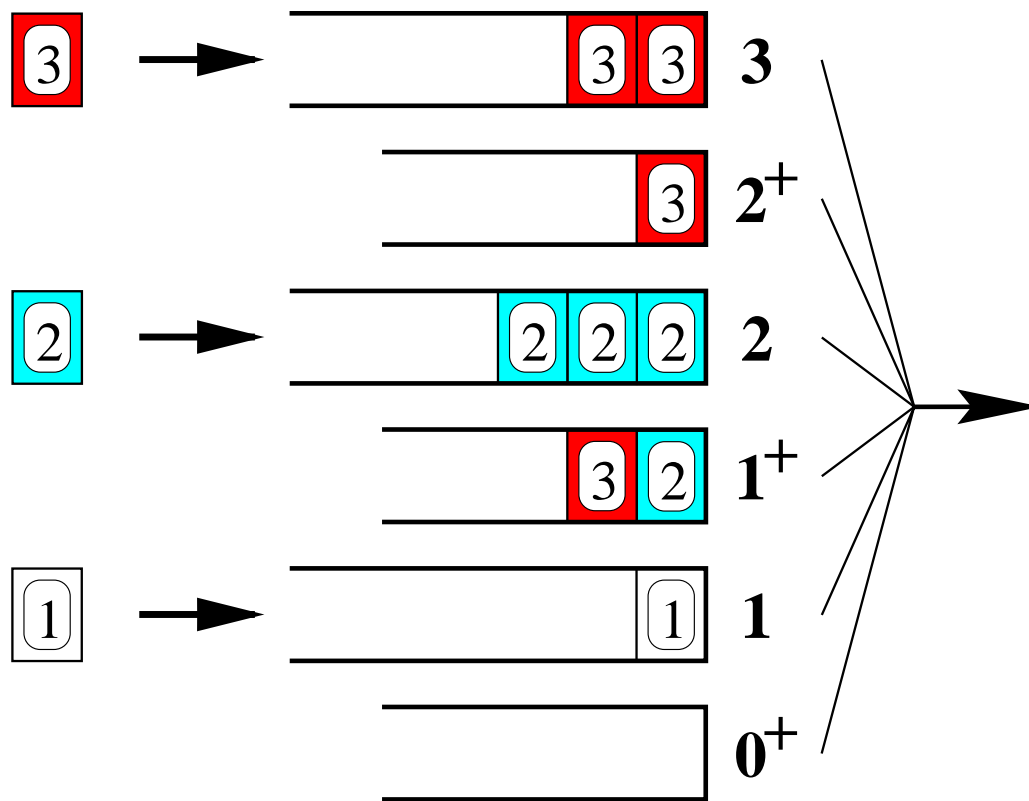
RPQ ($\Delta = 3ms$; 24 FIFOs)

Rotating-Priority-Queues⁺ (RPQ⁺)

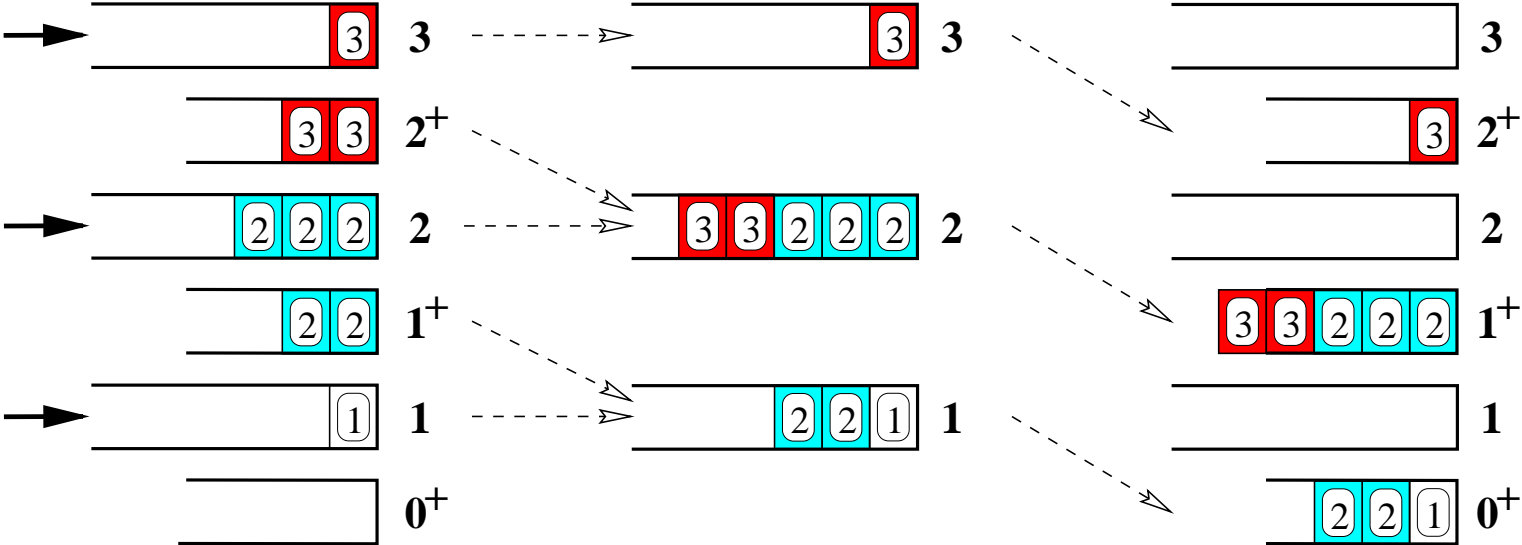
Design Principles:

- P priority sets.
- $2P$ FIFO queues with labels.
- Relabel queues every Δ time units.
- One delay bound for each priority set: $d_p = p \cdot \Delta$.

RPQ⁺ Scheduler



RPQ⁺ Queue Rotation

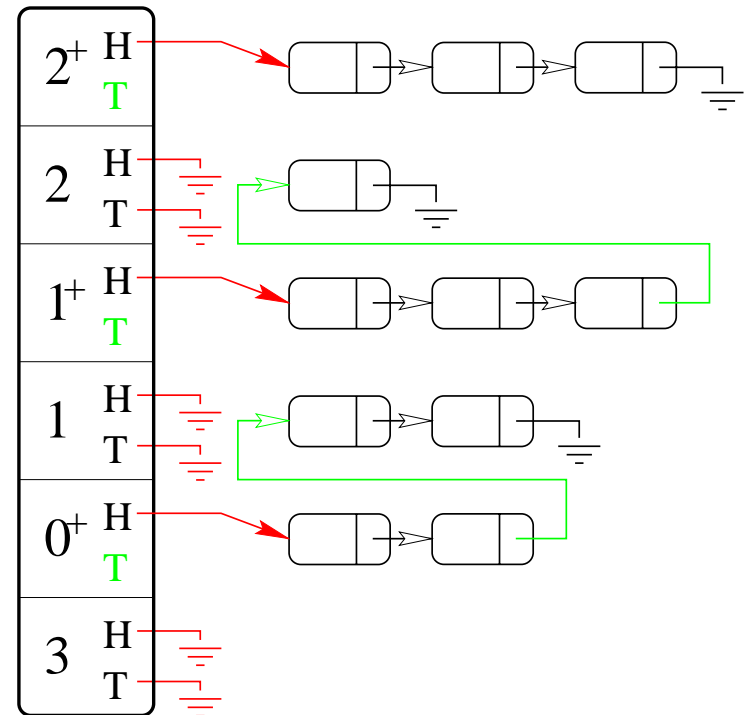
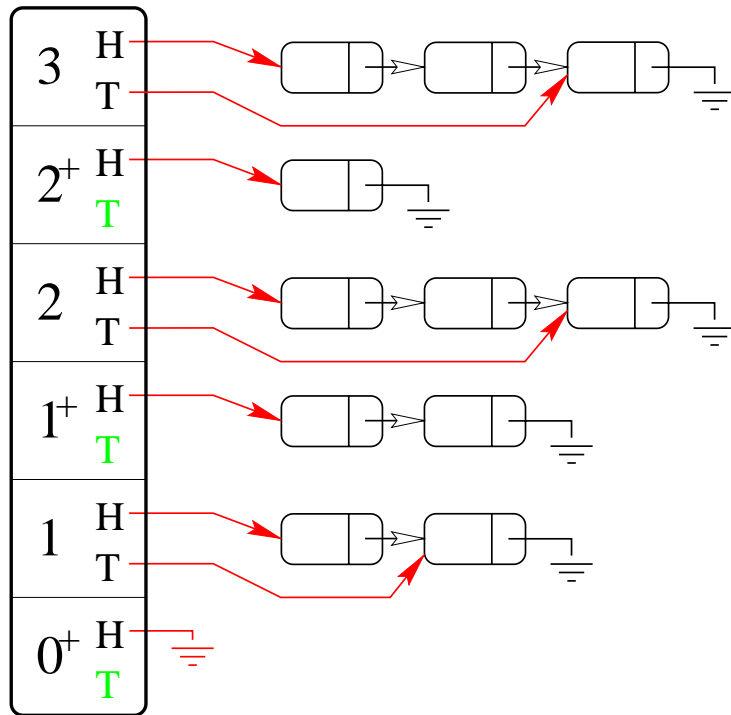


Before rotation.

Step 1:
"Concatenation"

Step 2:
"Promotion"

Implementating RPQ^+ in Shared Memory



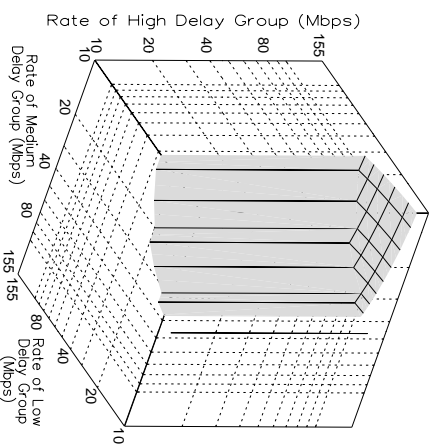
- No movement of packets.
- Operations independent of queued packets.

Admission Control Test for RPQ⁺

For all priorities p and all $t \geq d_p$,

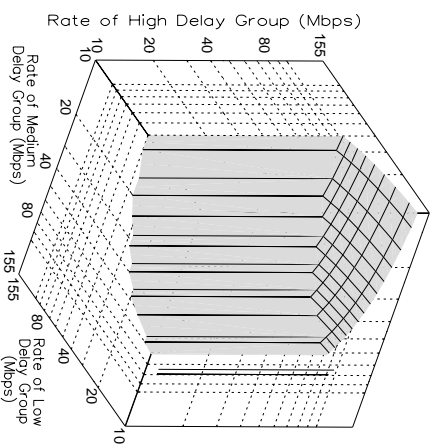
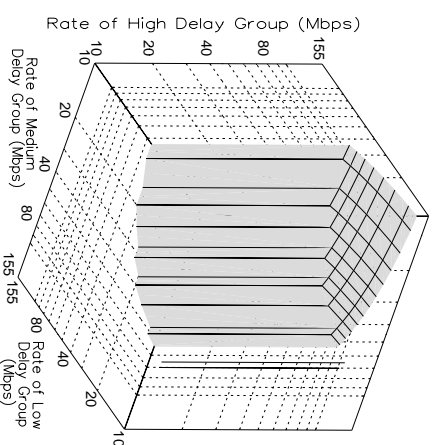
$$t \geq \sum_{q=1}^{p-1} \sum_{j \in C_q} A_j^*(t - d_q + \Delta) + \sum_{q=p}^P \sum_{j \in C_q} A_j^*(t - d_q) + \max_{r, d_r > t} s_r^{max}$$

Evaluation of RPQ+



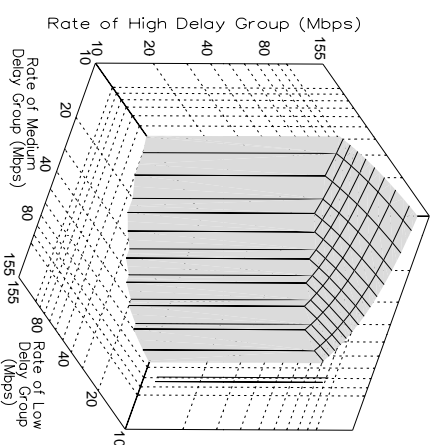
RPQ+ ($\Delta = 12ms$; 6 FIFOs)

RPQ+ ($\Delta = 6ms$; 12 FIFOs)



RPQ+ ($\Delta = 4ms$; 18 FIFOs)

RPQ+ ($\Delta = 3ms$; 24 FIFOs)

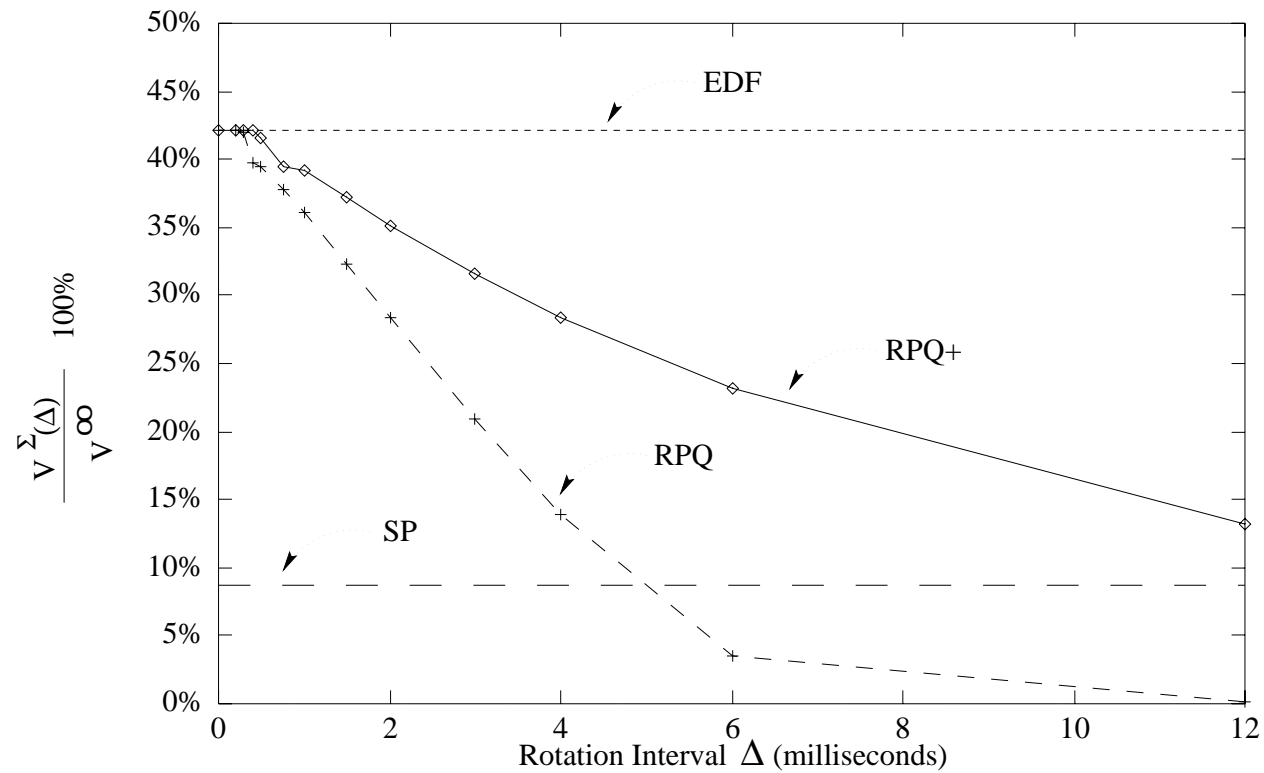


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Summary of Evaluation

- Compare volume of the schedulable regions:

$$\frac{V^\Sigma(\Delta)}{V^\infty} \cdot 100\%$$



1

Conclusions

- Approximate EDF with rotating FIFO queues.
- Simple solution (RPQ) can be worse than SP.
- RPQ⁺ is "between" SP and EDF.
- Reading:
 - IEEE/ACM Transactions on Networking, June 1996.
 - IEEE/ACM Transactions on Networking, December 1996.
 - Proc. IEEE Infocom '96, San Francisco, March 1996.
 - Proc. IEEE Infocom '97, Kobe, April 1997.