scheduling 2

last time

fairness

xv6 scheduler design

```
global array of processes (process table)
seperate scheduler thread (per core) for convenience)
lock to control changes to process table
implicit queues (search process table for state)

CPU and I/O bursts

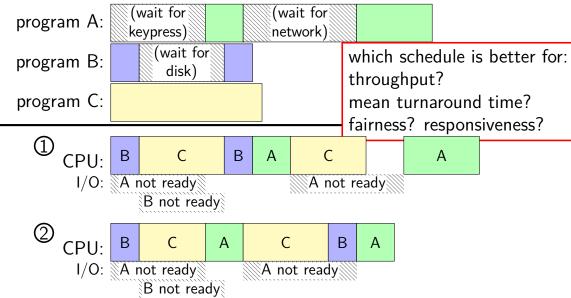
scheduling policy = what to remove from queues
scheduling metrics
```

turnaround time — time from when becomes runnable to finishes running

throughput — useful work per unit time

2

metrics example/exercise (2)



two trivial scheduling algorithms

first-come first served (FCFS)

round robin (RR)

scheduling example assumptions

multiple programs become ready at almost the same time alternately: became ready while previous program was running

...but in some order that we'll use e.g. our ready queue looks like a linked list

two trivial scheduling algorithms

first-come first served (FCFS)

round robin (RR)

first-come, first-served

simplest(?) scheduling algorithm

no preemption — run program until it can't suitable in cases where no context switch e.g. not enough memory for two active programs

(AKA "first in, first out" (FIFO))

thread	CPU time needed
Α	24
В	4
C	3

(AKA "first in, first out" (FIFO))

thread	CPU time needed
Α	24
В	4
C	3

 $\begin{cases} A \sim \text{CPU-bound} \\ B, \ C \sim \text{I/O bound or interactive} \end{cases}$

(AKA "first in, first out" (FIFO))

thread	CPU time needed
Α	24
В	4
C	3

 $\label{eq:alpha} \left\{ \begin{aligned} &A \sim \text{CPU-bound} \\ &B, \ &C \sim I/O \ \ \text{bound or interactive} \end{aligned} \right.$

arrival order: A, B, C

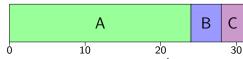


(AKA "first in, first out" (FIFO))

thread	CPU time needed
Α	24
В	4
C	3

 $\label{eq:alpha} \left\{ \begin{aligned} A &\sim \text{CPU-bound} \\ \text{B, C} &\sim \text{I/O bound or interactive} \end{aligned} \right.$

arrival order: A, B, C



turnaround times: (mean=27.7)

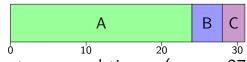
24 (A), 28 (B), 31 (C)

(AKA "first in, first out" (FIFO))

thread	CPU time needed
Α	24
В	4
C	3

 $\label{eq:alpha} \left\{ \begin{aligned} &A \sim \text{CPU-bound} \\ &B, \ &C \sim \text{I/O bound or interactive} \end{aligned} \right.$

arrival order: A, B, C



turnaround times: (mean=27.7)

24 (A), 28 (B), 31 (C)

arrival order: B, C, A

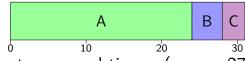


(AKA "first in, first out" (FIFO))

thread	CPU time needed
Α	24
В	4
C	3

 $\label{eq:alpha} \left\{ \begin{aligned} &A \sim \text{CPU-bound} \\ &B, \ &C \sim \text{I/O bound or interactive} \end{aligned} \right.$

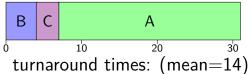
arrival order: A, B, C



turnaround times: (mean=27.7)

24 (A), 28 (B), 31 (C)

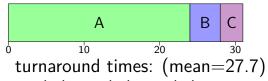
arrival order: B, C, A



31 (**A**), 4 (**B**), 7 (**C**)

FCFS orders

arrival order: A, B, C



24 (**A**), 28 (**B**), 31 (**C**)

"convoy effect"

arrival order: B, C, A



turnaround times: (mean=14) 31 (A), 3 (B), 7 (C)

two trivial scheduling algorithms

first-come first served (FCFS)

round robin (RR)

round-robin

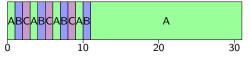
```
simplest(?) preemptive scheduling algorithm
run program until either
  it can't run anymore, or
  it runs for too long (exceeds "time quantum")
```

requires good way of interrupting programs like xv6's timer interrupt

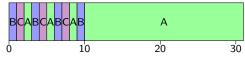
requires good way of stopping programs whenever like xv6's context switches

round robin (RR) (varying order)

```
time quantum = 1, order A, B, C
```



time quantum = 1, order \mathbf{B} , \mathbf{C} , \mathbf{A}

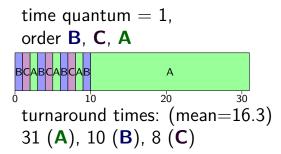


round robin (RR) (varying order)

```
time quantum = 1,
order A, B, C

ABCABCABCAB

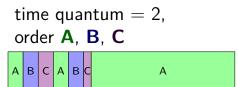
turnaround times: (mean=17)
31 (A), 11 (B), 9 (C)
```



round robin (RR) (varying time quantum)

time quantum = 1, order A, B, CABCABCABCAB A

10 20 30

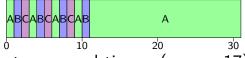


20

30

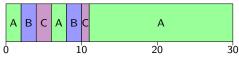
round robin (RR) (varying time quantum)

time quantum = 1, order A, B, C



turnaround times: (mean=17) 31 (**A**), 11 (**B**), 9 (**C**)

time quantum = 2, order **A**, **B**, **C**



turnaround times: (mean=17.3) 31 (A), 10 (B), 11 (C)

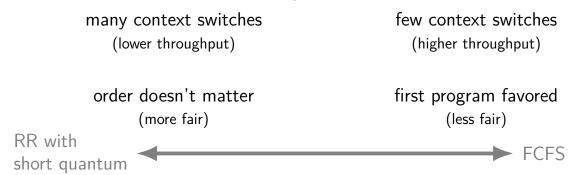
round robin idea

choose fixed time quantum ${\cal Q}$ unanswered question: what to choose

switch to next process in ready queue after time quantum expires

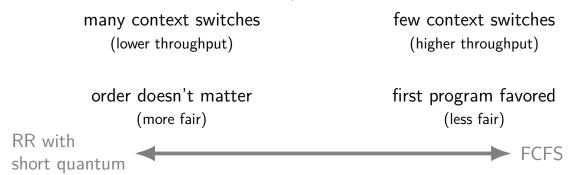
this policy is what xv6 scheduler does scheduler runs from timer interrupt (or if process not runnable) finds next runnable process in process table

round robin and time quantums



smaller quantum: more fair, worse throughput

round robin and time quantums



smaller quantum: more fair, worse throughput

FCFS = RR with infinite quantum

more fair: at most (N-1)Q time until scheduled if N total processes

aside: context switch overhead

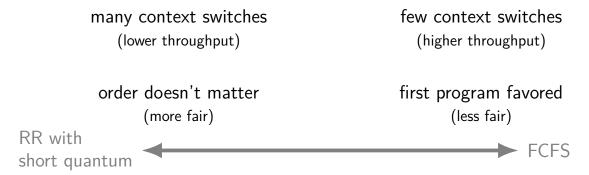
```
typical context switch: \sim 0.01 ms to 0.1 ms but tricky: lot of indirect cost (cache misses) (above numbers try to include likely indirect costs)
```

choose time quantum to manage this overhead

current Linux default: between $\sim\!0.75$ ms and $\sim\!6$ ms varied based on number of active programs Linux's scheduler is more complicated than RR

historically common: 1 ms to 100 ms 1% to 0.1% ovherhead?

round robin and time quantums



smaller quantum: more fair, worse throughput

 $\mbox{FCFS} = \mbox{RR with infinite quantum} \\ \mbox{more fair: at most } (N-1)Q \mbox{ time until scheduled if } N \mbox{ total processes} \\$

but what about turnaround time?

exercise: round robin quantum

if there were no context switch overhead, decreasing the time quantum (for round robin) would cause mean turnaround time to

- A. always decrease or stay the same
- B. always increase or stay the same
- C. increase or decrease or stay the same
- D. something else?

increase mean turnaround time

A: 1 unit CPU burst

B: 1 unit

$$Q = 1$$

mean turnaround time =
$$(1+2) \div 2 = 1.5$$

$$Q = 1/2$$

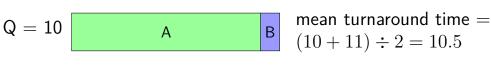


mean turnaround time =
$$(1.5 + 2) \div 2 = 1.75$$

decrease mean turnaround time

A: 10 unit CPU burst

B: 1 unit



Q = 5
$$\begin{array}{c} \text{mean turnaround time} = \\ (6+11) \div 2 = 8.5 \end{array}$$

stay the same

A: 1 unit CPU burst

B: 1 unit

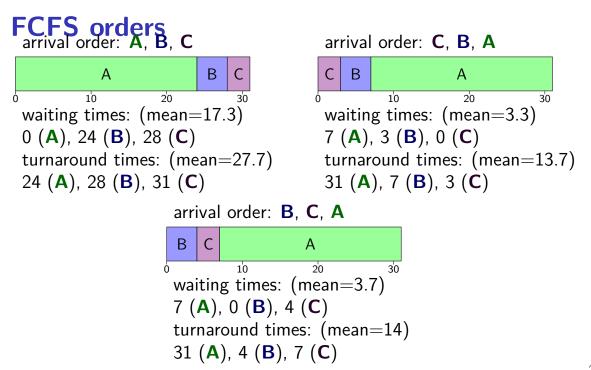
$$Q = 10$$
 A B

FCFS and order

earlier we saw that with FCFS, arrival order mattered

big changes in turnaround/waiting time

let's use that insight to see how to optimize mean/total turnaround times



order and turnaround time

best total/mean turnaround time = run shortest CPU burst first worst total/mean turnaround time = run longest CPU burst first

intuition (1): "race to go to sleep"

intuition (2): minimize time with two threads waiting

order and turnaround time

best total/mean turnaround time = run shortest CPU burst first worst total/mean turnaround time = run longest CPU burst first

intuition (1): "race to go to sleep"

intuition (2): minimize time with two threads waiting

later: we'll use this result to make a scheduler that minimizes mean turnaround time

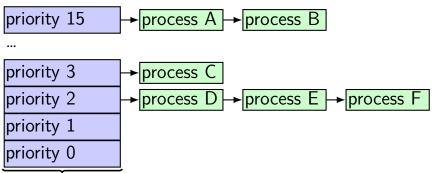
diversion: some users are more equal

shells more important than big computation? i.e. programs with short CPU bursts

faculty more important than students?

scheduling algorithm: schedule shells/faculty programs first

priority scheduling



ready queues for each priority level

choose process from ready queue for highest priority within each priority, use some other scheduling (e.g. round-robin)

could have each process have unique priority

priority scheduling and preemption

priority scheduling can be preemptive

i.e. higher priority program comes along — stop whatever else was running

exercise: priority scheduling (1)

Suppose there are two processes:

```
thread A
```

```
highest priority repeat forever: 1 unit of I/O, then 10 units of CPU, ...
```

thread Z

```
lowest priority 4000 units of CPU (and no I/O)
```

How long will it take thread Z complete?

exercise: priority scheduling (2)

Suppose there are three processes:

```
thread A
     highest priority
     repeat forever: 1 unit of I/O, then 10 units of CPU, ...
thread B
     second-highest priority
     repeat forever: 1 unit of I/O, then 10 units of CPU, ...
thread Z
     lowest priority
     4000 units of CPU (and no I/O)
```

How long will it take thread Z complete?

starvation

programs can get "starved" of resources

never get those resources because of higher priority

big reason to have a 'fairness' metric

something almost all definitions of fairness agree on

fair scheduling

what is the fairest scheduling we can do?

intuition: every thread has an equal chance to be chosen

random scheduling algorithm

"fair" scheduling algorithm: choose uniformly at random

good for "fairness"

bad for response time

bad for predictability

proportional share

maybe every thread isn't equal

if thread A is twice as important as thread B, then...

proportional share

maybe every thread isn't equal

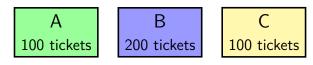
if thread A is twice as important as thread B, then...

one idea: thread A should run twice as much as thread B

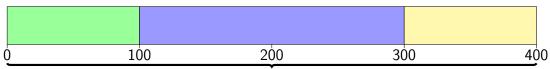
proportional share

lottery scheduling

every thread has a certain number of lottery tickets:



scheduling = lottery among ready threads:



choose random number in this range to find winner

simulating priority with lottery

A (high priority)

1M tickets

B (medium priority)
1K tickets

C (low priority)
1 tickets

very close to strict priority

lottery scheduling assignment

assignment: add lottery scheduling to xv6

extra system call: settickets

also counting of how often processes scheduled (for testing)

lottery scheduling assignment

assignment: add lottery scheduling to xv6

extra system call: settickets

also counting of how often processes scheduled (for testing)

simplification: okay if scheduling decisions are linear time there is a faster way

not implementing preemption before time slice ends might be better to run new lottery when process becomes ready?

is lottery scheduling actually good?

seriously proposed by academics in 1994 (Waldspurger and Weihl, OSDI'94)

including ways of making it efficient making preemption decisions (other than time slice ending) if processes don't use full time slice handling non-CPU-like resources

elegant mecahnism that can implement a variety of policies but there are some problems...

exercise

thread A: 1 ticket, always runnable

thread B: 9 tickets, always runnable

over 10 time quantum what is the probability A runs for at least 3 quanta?

i.e. 3 times as much as "it's supposed to" chosen 3 times out of 10 instead of 1 out of 10

exercise

thread A: 1 ticket, always runnable

thread B: 9 tickets, always runnable

over 10 time quantum what is the probability A runs for at least 3 quanta?

i.e. 3 times as much as "it's supposed to" chosen 3 times out of 10 instead of 1 out of 10

A runs w/in 10 times...

minimizing turnaround time

(preview: need priority = remaining time)

```
recall: first-come, first-served best order:
had shortest CPU bursts first

→ scheduling algorithm: 'shortest job first' (SJF)

= same as priority where CPU burst length determines priority
...but without preemption for now
priority = job length doesn't quite work with preemption
```

a practical problem

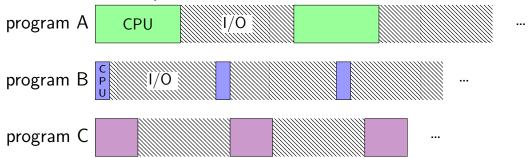
so we want to run the shortest CPU burst first

how do I tell which thread that is?

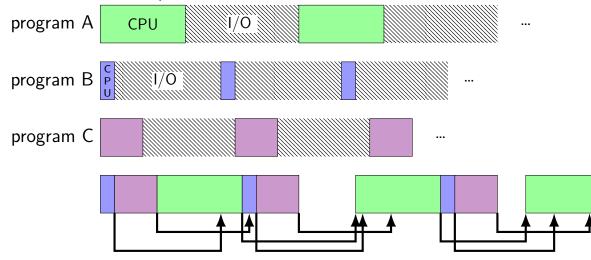
we'll deal with this problem later

...kinda

alternating I/O and CPU: SJF



alternating I/O and CPU: SJF



alternating I/O and CPU: SJF

