

Class 28: Reverse in Python, Entropy

Upcoming Schedule

- **Friday, 4 November:** Read Tyson's *Golden Age of Science*
- **Monday, 7 November:** Problem Set 6

Tuples and Lists

Tuples in Python are comparable to regular (immutable) lists in Scheme.

Python	Scheme
"Tuple"	"List"
()	null
p = (1, 2, 3)	(define p (list 1 2 3))
p[0]	(car p)
p[1:]	(cdr p)
p[2]	(car (cdr (cdr p)))
p[i]	(car ((n-times cdr i) p))
len(p)	(length p)

Lists in Python are comparable to **mutable** lists in Scheme.

Python	Scheme
"List"	"Mutable List"
[]	null
p = [1, 2, 3]	(define p (mlist 1 2 3))
p[0]	(mcar p)
p[0] = 4	(set-mcar! p 4)
p[1:]	(mcd r p)
[2, 3]	
p[1:] = [3, 4]	(set-mcdr! p (mlist 3 4))
p is now [4, 3, 4]	
p.append(5)	(mlist-append! p (mlist 5))
p is now [4, 3, 4, 5]	

For loops in Python

Statement ::= for Variable in Expression: Block

```
def gaussSum (n):
  sum = 0
  for i in range(1, n+1):
    sum = sum + i
  return sum
```

range(a, b) ~ ((n-times cdr a) (intsto (- b 1)))
 (e.g., range(0,3) = [0, 1, 2])

```
(define (loop index result test update proc)
  (if (test index)
      (loop (update index)
            (proc index result)
            test update proc)
      result))
```

```
(define (gauss-sum n)
  (loop 1 0 (lambda (i) (<= i n))
        (lambda (i) (+ i 1))
        (lambda (i sum) (+ i sum))))
```

Shannon's Entropy Formula

$$H = -\sum p_i \log_2 p_i$$

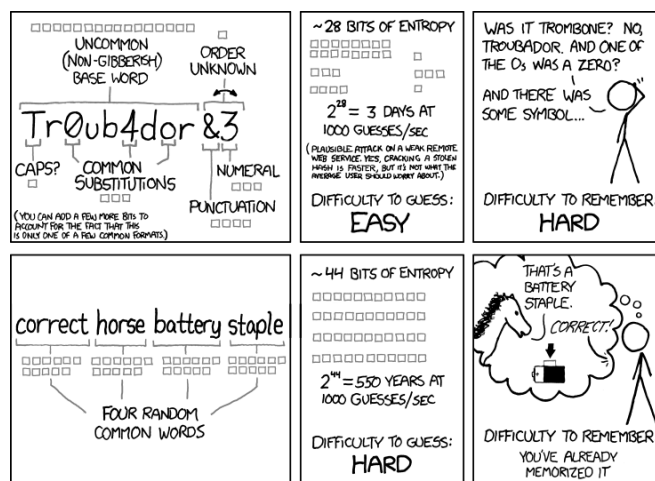
p_i : probability of event i

Sum over all events

Result is number of **bits of entropy**

Calculate the entropy in an *ideal* coin toss?

Calculate the entropy in a *real* coin toss (51% likelihood of landing in initial state)?



THROUGH 20 YEARS OF EFFORT, WE'VE SUCCESSFULLY TRAINED EVERYONE TO USE PASSWORDS THAT ARE HARD FOR HUMANS TO REMEMBER, BUT EASY FOR COMPUTERS TO GUESS.

How good is Randall Munroe's entropy estimate?