

64-bit and Endianness

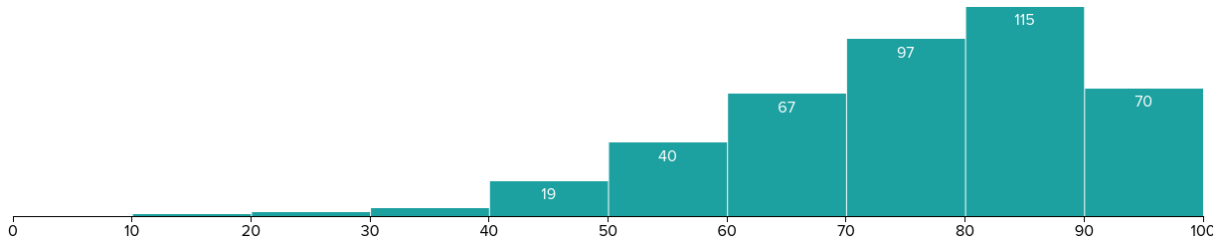
CS 2130: Computer Systems and Organization 1

October 7, 2022

Announcements

- Homework 4 due Monday, 11pm on Gradescope
- Quiz 5 opens at 5pm, due Monday by 8am
- Exam 1 scores released after class

Exam 1



Statistics

Mean 75.4

Median 77.0

Std. Dev. 15.4

Exam 1: Most Missed Questions

$r_0 = r_2 \& 80$

Suppose we extended the ISA simulator you wrote in Lab 4 with the following code:

```
if (reserved == 1 && icode == 4) {  
    R[a] = R[b] & M[oldPC + 1];  
    return oldPC + ___;  
}
```

\underline{C} $\frac{1100}{A}$ $\frac{00}{B}$ $\frac{10}{B}$

Using the new instruction above at least once, write a program that determines if the contents of register 2 is a negative number in two's complement and stores the result in register 0. That is, if the high order bit of register 2's value is a 1, your program should store a 0x01 in register 0. Answer in hexadecimal bytes, separated by spaces. *Hint: you may need to write additional instructions.*

C2 80 52 52

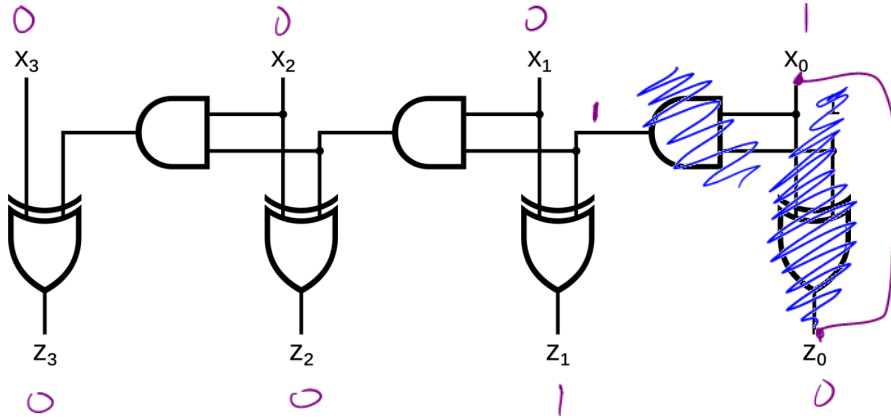
Exam 1: Most Missed Questions

icode	b	meaning
0		$rA = rB$
1		$rA += rB$
2		$rA \&= rB$
3		$rA =$ read from memory at address rB
4		write rA to memory at address rB
5	0	$rA = \sim rA$
	1	$rA = -rA$
	2	$rA = !rA$
	3	$rA = pc$
6	0	$rA =$ read from memory at $pc + 1$
	1	$rA +=$ read from memory at $pc + 1$
	2	$rA \&=$ read from memory at $pc + 1$
	3	$rA =$ read from memory at the address stored at $pc + 1$ For icode 6, increase pc by 2 at end of instruction
7		Compare rA as 8-bit 2's-complement to 0 if $rA \leq 0$ set $pc = rB$ else increment pc as normal

$$!(!(80) = 0) = 01$$
$$!(!(00) = 1) = 06$$

Exam 1: Most Missed Questions

In class, we discussed a 4-bit increment circuit below that added 1 to the input.



How can we change this circuit to instead increment by 2, i.e., $x += 2$? Draw the new circuit below.

Note: you should not use more gates than the original circuit.

Patents and Copyright

Can we patent our ISA? Should we?

icode	b	meaning
0		$rA = rB$
1		$rA += rB$
2		$rA \&= rB$
3		$rA =$ read from memory at address rB
4		write rA to memory at address rB
5	0	$rA = \sim rA$
	1	$rA = -rA$
	2	$rA = !rA$
	3	$rA = pc$
6	0	$rA =$ read from memory at $pc + 1$
	1	$rA +=$ read from memory at $pc + 1$
	2	$rA \&=$ read from memory at $pc + 1$
	3	$rA =$ read from memory at the address stored at $pc + 1$
		For icode 6, increase pc by 2 at end of instruction
7		Compare rA as 8-bit 2's-complement to θ if $rA \leq \theta$ set $pc = rB$ else increment pc as normal

Patents and Copyright

Copyright

- “Everyone is a copyright owner. Once you create an original work and fix it, like taking a photograph, writing a poem or blog, or recording a new song, you are the author and the owner.”

from <https://www.copyright.gov/what-is-copyright/>

Patent

- “Whoever invents or discovers any new and useful process, machine, manufacture, or composition of matter, or any new and useful improvement thereof, may obtain a patent therefor, subject to the conditions and requirements of this title.”

from 35 U.S.C. 101

In software and hardware, patents become messy

- Code is a description of a process we want the computer to do
- Do not have to implement the process to patent it

Question: Should we patent something like our ISA?

In software and hardware, patents become messy

- Code is a description of a process we want the computer to do
- Do not have to implement the process to patent it

Question: Should we patent something like our ISA?

What is the current state of the art?

Common Approaches to Software

How can we get value from what we create?

- Copyright - distribute closed source software
- License Agreements (in contract law)
- Always innovate

Moving On

icode	b	meaning
0		$rA = rB$
1		$rA += rB$
2		$rA \&= rB$
3		$rA =$ read from memory at address rB
4		write rA to memory at address rB
5	0	$rA = \sim rA$
	1	$rA = -rA$
	2	$rA = !rA$
	3	$rA = pc$
6	0	$rA =$ read from memory at $pc + 1$
	1	$rA +=$ read from memory at $pc + 1$
	2	$rA \&=$ read from memory at $pc + 1$
	3	$rA =$ read from memory at the address stored at $pc + 1$ For icode 6, increase pc by 2 at end of instruction
7		Compare rA as 8-bit 2's-complement to θ if $rA \leq \theta$ set $pc = rB$ else increment pc as normal

So far, we've been dealing with an 8-bit machine!

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access?

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes
- Late 70s - 16 bits:

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes
- Late 70s - 16 bits: 65,536 bytes

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes
- Late 70s - 16 bits: 65,536 bytes
- 80s - 32 bits:

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes
- Late 70s - 16 bits: 65,536 bytes
- 80s - 32 bits: \approx 4 billion bytes 4 GiB

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes
- Late 70s - 16 bits: 65,536 bytes
- 80s - 32 bits: \approx 4 billion bytes
- Today's processors - 64 bits:

64-bit Machines

64-bit machine: The **registers** are 64-bits

- i.e., r0, but also PC

Important to have large values. Why?

- Most important: PC and memory addresses
- How much memory could our 8-bit machine access? 256 bytes
- Late 70s - 16 bits: 65,536 bytes
- 80s - 32 bits: \approx 4 billion bytes 4GB
- Today's processors - 64 bits: 2^{64} addresses ?

Aside: Powers of Two

Powers of Two

Value	base-10	Short form	Pronounced
2^{10}	1024	Ki	Kilo
2^{20}	1,048,576	Mi	Mega
2^{30}	1,073,741,824	Gi	Giga
2^{40}	1,099,511,627,776	Ti	Tera
2^{50}	1,125,899,906,842,624	Pi	Peta
2^{60}	1,152,921,504,606,846,976	Ei	Exa

Example: 2^{27} bytes

Aside: Powers of Two

Powers of Two

Value	base-10	Short form	Pronounced
2^{10}	1024	Ki	Kilo
2^{20}	1,048,576	Mi	Mega
2^{30}	1,073,741,824	Gi	Giga
2^{40}	1,099,511,627,776	Ti	Tera
2^{50}	1,125,899,906,842,624	Pi	Peta
2^{60}	1,152,921,504,606,846,976	Ei	Exa

Example: 2^{27} bytes = $2^7 \times 2^{20}$ bytes

Aside: Powers of Two

Powers of Two

Value	base-10	Short form	Pronounced
2^{10}	1024	Ki	Kilo
2^{20}	1,048,576	Mi	Mega
2^{30}	1,073,741,824	Gi	Giga
2^{40}	1,099,511,627,776	Ti	Tera
2^{50}	1,125,899,906,842,624	Pi	Peta
2^{60}	1,152,921,504,606,846,976	Ei	Exa

Example: 2^{27} bytes = $2^7 \times 2^{20}$ bytes = 2^7 MiB = 128 MiB

64-bit Machines

How much can we address with 64-bits?

64-bit Machines

How much can we address with 64-bits?

- 16 EiB (2^{64} addresses = $2^4 \times 2^{60}$)

64-bit Machines

How much can we address with 64-bits?

- 16 EiB (2^{64} addresses = $2^4 \times 2^{60}$)
- But I only have 8 GiB of RAM

A Challenge

There is a disconnect:

- Registers: 64-bits values
- Memory: 8-bit values (i.e., **1 byte** values)
 - Each address addresses an 8-bit value in memory
 - Each address points to a 1-byte slot in memory

A Challenge

There is a disconnect:

- Registers: 64-bits values
- Memory: 8-bit values (i.e., **1 byte** values)
 - Each address addresses an 8-bit value in memory
 - Each address points to a 1-byte slot in memory
- How do we store a 64-bit value in an 8-bit spot?

Rules

0x 00 | A B | C D | E F

Rules to break “big values” into bytes (memory)

1. Break it into bytes
2. Store them adjacently
3. Address of the overall value = smallest address of its bytes
4. Order the bytes
 - If parts are ordered (i.e., array), first goes in smallest address
 - Else, hardware implementation gets to pick (!!)
 - Little-endian
 - Big-endian

0x200 0x201 0x202 0x203

Ordering Values

0x 00 | AB | CD | EF

<u>Addr</u>	200	201	202	203
	EF	CD	AB	00

Little-endian

- Store the low order part/byte first
- Most hardware today is little-endian

Big-endian

- Store the high order part/byte first

Example

Store [0x1234, 0x5678] at address 0xF00

	Address	Little-endian	Big-endian
0x1234	0xF00	34	12
	0xF01	12	34
0x5678	0xF02	78	56
	0xF03	56	78

Endianness

Why do we study endianness?

- It is **everywhere**
- It is a source of weird bugs
- Ex: It's likely your computer uses:
 - Little-endian from CPU to memory
 - Big-endian from CPU to network
 - File formats are roughly half and half

Time to take over the world!