

**PROBLEM 1** *Symbolizing*

For each of the following, convert from text to symbolic logic. Some are known, named truths (we included the name for fun); others are false. The first one is done for you.

**Celarent** No G are F. All H are G. So: No H are F

$$\begin{array}{ll} \exists x . G(x) \wedge F(x) & \text{or } \forall x . G(x) \rightarrow \neg F(x), \text{ or } \forall x . \neg(G(x) \wedge F(x)), \text{ or equivalent} \\ \forall x . H(x) \rightarrow G(x) & \text{or equivalent} \\ \therefore \exists x . H(x) \wedge F(x) & \text{or equivalent} \end{array}$$

**Barbara** All G are F. All H are G. So: All H are F

**Ferio** No G are F. Some H is G. So: Some H is not F

**(false)** All G are F. No H is not G. So: Some H is not F

Want more practice? Try Practice exercises  $\forall x$  22.A (pages 187–188)

**PROBLEM 2** *Symbolizing with a Key*

Using this symbolization key:

**domain:** all animals

$A(x)$ :  $x$  is an alligator

$M(x)$ :  $x$  is a monkey

$Z(x)$ :  $x$  lives at the zoo

$L(x, y)$ :  $x$  loves  $y$

$a$ : Artist

$b$ : Bouncer

$c$ : Champion

Symbolize each of the following sentences; the first one is done for you.

**If both Bouncer and Champion are alligators, then Artist loves them both.**

$$(A(b) \wedge A(c)) \rightarrow (L(a, b) \wedge L(a, c))$$

**Any animal that lives at the zoo is either a monkey or an alligator.**

**Champion loves a monkey.**

**All the monkeys that Artist loves love Artist.**

**Everyone Bouncer loves loves some animal other than Bouncer.**

**Every animal in the zoo's love is outside the zoo, and vice versa.**

Want more practice? Try Practice exercises  $\forall x$  22.B (page 188) and  $\forall x$  23.A–F (pages 199–203).