

CS 3250: Software Testing (Fall 2025)

Activity: Graph coverage for design element

(no submission)

Purpose: Understand and apply graph coverage to test various parts of the software design; get ready for assignment 4; prepare for the final exam

You may make a copy of a worksheet and complete this activity, or type your answers in any text editor. You may work alone or with at most two other students in this course.

Consider the `trashgraph` class

```
// Modified from
// https://www.albany.edu/faculty/offutt/softwaretest/java/TrashAndTakeOut.java

1.  public class trashgraph
2.  {
3.      public static void trash(int x)
4.      {
5.          int m, n;
6.          m = 0;
7.          if (x > 0)
8.              m = 4;
9.          if (x > 5)
10.             n = 3 * m;
11.          else
12.             n = 4 * m;
13.          int o = takeOut(m, n);
14.          System.out.println("o is: " + o);
15.      }
16.
17.      public static int takeOut(int a, int b)
18.      {
19.          int d, e;
20.          d = 42 * a;
21.          if (a > 0)
22.              e = 2 * b + d;
23.          else
24.              e = b + d;
25.          return(e);
26.      }
27.  }
```

// Modified from <https://cs.gmu.edu/~offutt/softwaretest/java/TrashAndTakeOut.java>

```
1.  public class trashgraph
2.  {
3.      public static void trash(int x)
4.      {
5.          int m, n;
6.          m = 0;
7.          if (x > 0)
8.              m = 4;
9.          if (x > 5)
10.             n = 3 * m;
11.          else
12.             n = 4 * m;
13.          int o = takeOut(m, n);
14.          System.out.println("o is: " + o);
15.      }
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17.      public static int takeOut(int a, int b)
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19.          int d, e;
20.          d = 42 * a;
21.          if (a > 0)
22.              e = 2 * b + d;
23.          else
24.              e = b + d;
25.          return(e);
26.      }
27.  }
```

 call site

 last def

 first use

note: since we are considering coupling DU-pairs,
def and use of d are excluded

1. Locate a call site between `trash()` and `takeOut()` methods. You may circle directly in the source code.

Line 13, `trash()` → `takeOut()`

2. Write down **all variables** that are shared or passed between `trash()` and `takeOut()` methods.

m and n in `trash()` → a and b in `takeOut()`

e in `takeOut()` → o is `trash()`

3. Find all coupling **last-defs** and **first-uses**. Circle directly in the source code. Write down whether that circle is for last-def or first-use.

Last defs:

m, lines 6 and 8

n, lines 10 and 12

e, lines 22 and 24

First uses:

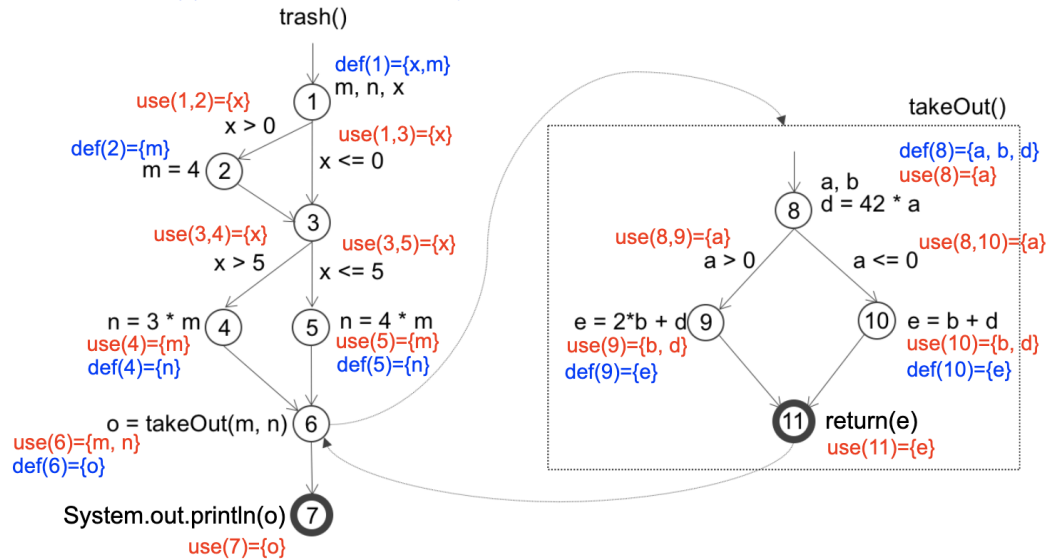
a, line 20

b, lines 22 and 24

o, line 14

4. Draw a graph representation of the `trash()` and `takeOut()` method. Be sure to include coupling between the caller and the callee. (You may draw the graph by hand, take a screenshot of your graph, and embed it in your write-up)

Note for `def(1)`: Since `n` is created but not yet initialized, we omit `n` here.



5. Find all the **coupling DU-pairs**.

Write them down as pairs of triplets. Each triplet is a method name, variable name, and node. The pair has the **last-def** on the left and a **first-use** on the right. For example:

$(method1(), var1, node1) - (method2(), var2, node2)$

where last-def of a variable `var1` is in method `method1` at node `node1` and first-use of a variable `var1` appears as a variable `var2` in method `method2` at node `node2`.

Note: in general, if a graph is unavailable or has not been created, each triplet can be written as

$(method1(), var1, line1) - (method2(), var2, line2)$

where last-def of a variable `var1` is in method `method1` at line number `line1` and first-use of a variable `var1` appears as a variable `var2` in method `method2` at line number `line2`.

If we write them as $(method1(), var1, line1) - (method2(), var2, line2)$

1. $(trash(), m, 6) \rightarrow (takeOut(), a, 20)$
2. $(trash(), m, 8) \rightarrow (takeOut(), a, 20)$
3. $(trash(), n, 10) \rightarrow (takeOut(), b, 22)$
4. $(trash(), n, 10) \rightarrow (takeOut(), b, 24)$
5. $(trash(), n, 12) \rightarrow (takeOut(), b, 22)$
6. $(trash(), n, 12) \rightarrow (takeOut(), b, 24)$
7. $(takeOut(), e, 22) \rightarrow (trash(), o, 14)$
8. $(takeOut(), e, 24) \rightarrow (trash(), o, 14)$

If we write them as $(method1(), var1, node1) - (method2(), var2, node2)$

1. $(trash(), m, 1) \rightarrow (takeOut(), a, 8)$
2. $(trash(), m, 2) \rightarrow (takeOut(), a, 8)$
3. $(trash(), n, 4) \rightarrow (takeOut(), b, 9)$
4. $(trash(), n, 4) \rightarrow (takeOut(), b, 10)$
5. $(trash(), n, 5) \rightarrow (takeOut(), b, 9)$
6. $(trash(), n, 5) \rightarrow (takeOut(), b, 10)$
7. $(takeOut(), e, 9) \rightarrow (trash(), o, 7)$
8. $(takeOut(), e, 10) \rightarrow (trash(), o, 7)$

6. List test requirements (i.e., Coupling DU-paths for each variable) that satisfy **All-Coupling-Defs** coverage

Assume we consider $(method1(), var1, node1) - (method2(), var2, node2)$

For m, need coupling du-pair 1, 2

For n, need (either 3 or 4) and (either 5 or 6); suppose we choose 3 and 5

For e, need 7, 8

Thus, du-pairs = 1,2,3,5,7,8

The coupling du-paths are used as test requirements; list du-paths for each du-pair.

du-pairs	du-paths
1 (trash(), m, 1) → (takeOut(), a, 8)	[1,3,4,6,8], (infeasible) [1,3,5,6,8] <i>suppose we pick [1,3,5,6,8]</i>
2 (trash(), m, 2) → (takeOut(), a, 8)	[2,3,4,6,8], [2,3,5,6,8] <i>suppose we pick [2,3,4,6,8]</i>
3 (trash(), n, 4) → (takeOut(), b, 9)	[4,6,8,9]
5 (trash(), n, 5) → (takeOut(), b, 9)	[5,6,8,9]
7 (takeOut(), e, 9) → (trash(), o, 7)	[9,11,6,7]
8 (takeOut(), e, 10) → (trash(), o, 7)	[10,11,6,7]

TR = { [1,3,5,6,8], [2,3,4,6,8], [4,6,8,9], [5,6,8,9], [9,11,6,7], [10,11,6,7] }

Assume we don't fix the infeasible DU-paths.

Note: def-clear paths

7. List test requirements (i.e., Coupling DU-paths for each variable) that satisfy **All-Coupling-Uses** coverage

Assume we consider $(method1(), var1, node1) - (method2(), var2, node2)$

For m, need coupling du-pair 1, 2

For n, need 3,4, 5,6

For e, need 7, 8

Thus, du-pairs = 1,2,3,4,5,6,7,8

The coupling du-paths are used as test requirements; list du-paths for each du-pair.

du-pairs	du-paths
1 (trash(), m, 1) → (takeOut(), a, 8)	[1,3,4,6,8], (infeasible) [1,3,5,6,8] <i>suppose we pick [1,3,5,6,8]</i>
2 (trash(), m, 2) → (takeOut(), a, 8)	[2,3,4,6,8], [2,3,5,6,8] <i>suppose we pick [2,3,4,6,8]</i>
3 (trash(), n, 4) → (takeOut(), b, 9)	[4,6,8,9]
4 (trash(), n, 4) → (takeOut(), b, 10)	[4,6,8,10] (infeasible)
5 (trash(), n, 5) → (takeOut(), b, 9)	[5,6,8,9]
6 (trash(), n, 5) → (takeOut(), b, 10)	[5,6,8,10]
7 (takeOut(), e, 9) → (trash(), o, 7)	[9,11,6,7]
8 (takeOut(), e, 10) → (trash(), o, 7)	[10,11,6,7]

TR = { [1,3,5,6,8], [2,3,4,6,8], [4,6,8,9], ~~[4,6,8,10]~~, [5,6,8,9], [5,6,8,10], [9,11,6,7], [10,11,6,7] }

Assume we don't fix the infeasible DU-paths.

[4,6,8,10] is infeasible. Thus the coverage level will never reach 100%.

Note: def-clear paths

8. List test requirements (i.e., Coupling DU-paths for each variable) that satisfy **All-Coupling-DU-Paths** coverage

Assume we consider $(method1(), var1, node1) - (method2(), var2, node2)$

For m, need coupling du-pair 1, 2

For n, need 3,4, 5,6

For e, need 7, 8

Thus, du-pairs = 1,2,3,4,5,6,7,8

The coupling du-paths are used as test requirements; list du-paths for each du-pair.

du-pairs	du-paths
1 (trash(), m, 1) → (takeOut(), a, 8)	[1,3,4,6,8], (<i>infeasible</i>) [1,3,5,6,8], [1,2,3,5,6,8], (<i>not def-clear, m def at node 1 is redefined at node 2</i>) [1,2,3,4,6,8] (<i>not def-clear, m def at node 1 is redefined at node 2</i>)
2 (trash(), m, 2) → (takeOut(), a, 8)	[2,3,4,6,8], [2,3,5,6,8]
3 (trash(), n, 4) → (takeOut(), b, 9)	[4,6,8,9]
4 (trash(), n, 4) → (takeOut(), b, 10)	[4,6,8,10] (<i>infeasible</i>)
5 (trash(), n, 5) → (takeOut(), b, 9)	[5,6,8,9]
6 (trash(), n, 5) → (takeOut(), b, 10)	[5,6,8,10]
7 (takeOut(), e, 9) → (trash(), o, 7)	[9,11,6,7]
8 (takeOut(), e, 10) → (trash(), o, 7)	[10,11,6,7]

TR = { ~~[1,3,4,6,8]~~, [1,3,5,6,8], ~~[1,2,3,5,6,8]~~, ~~[1,2,3,4,6,8]~~, [2,3,4,6,8], [2,3,5,6,8], [4,6,8,9], ~~[4,6,8,10]~~, [5,6,8,9], [5,6,8,10], [9,11,6,7], [10,11,6,7] }

Assume we don't fix the infeasible DU-paths.

[1,3,4,6,8] and [4,6,8,10] are infeasible. Thus the coverage level will never reach 100%.

Note: def-clear paths

9. Provide test inputs that satisfy **All-Coupling-Uses** (note that `trash()` only has one input)

[refer to question 7]

du-pairs	du-paths
1 (<code>trash()</code> , m, 1) → (<code>takeOut()</code> , a, 8)	[1,3,4,6,8], (infeasible) [1,3,5,6,8] <i>suppose we pick [1,3,5,6,8]</i>
2 (<code>trash()</code> , m, 2) → (<code>takeOut()</code> , a, 8)	[2,3,4,6,8], [2,3,5,6,8] <i>suppose we pick [2,3,4,6,8]</i>
3 (<code>trash()</code> , n, 4) → (<code>takeOut()</code> , b, 9)	[4,6,8,9]
4 (<code>trash()</code> , n, 4) → (<code>takeOut()</code> , b, 10)	[4,6,8,10] (infeasible)
5 (<code>trash()</code> , n, 5) → (<code>takeOut()</code> , b, 9)	[5,6,8,9]
6 (<code>trash()</code> , n, 5) → (<code>takeOut()</code> , b, 10)	[5,6,8,10]
7 (<code>takeOut()</code> , e, 9) → (<code>trash()</code> , o, 7)	[9,11,6,7]
8 (<code>takeOut()</code> , e, 10) → (<code>trash()</code> , o, 7)	[10,11,6,7]

TR = { [1,3,5,6,8], [2,3,4,6,8], [4,6,8,9], ~~[4,6,8,10]~~, [5,6,8,9], [5,6,8,10], [9,11,6,7], [10,11,6,7] }

The `trash()` method takes only one input, which is X.

X = 0 satisfies 1, 6, 8

X = 1 satisfies 2, 5, 7

X = 6 satisfies 2, 3, 7

Cannot satisfy du-pair #4 (i.e., du-path [4,6,8,10]). This is because

- To reach node 4, x must be > 5.
- If `trash` has x > 5, (reach node 6) m = 4, and n = 12.
- Then (reach node 8) m becomes a in `takeOut`, which will have a > 0.
- Since a > 0, node 10 will never be reached.

Thus, def of n at node 4 (line 10) does not reach use at node 19 (line 24).

[optional]

For more hands-on experience, take the test inputs you provided to satisfy **All-Coupling-Uses**, construct a set of test cases, and then automate your test set (in JUnit) and run it against the `trashgraph` class.